

ITSE301 Logic Programming

List Processing

14-5-2024

Lists in Prolog

- **A list is a collection of items, not necessarily homogeneous.**
- **In Prolog, lists are inbuilt data structures.**
- **Lists can be used to represent sets, stacks, queues, linked lists, and several complex data structures such as trees, graphs, etc.**

Lists in Prolog

- **A list in Prolog is an ordered collection of items denoted as $[i_1, i_2, \dots, i_n]$.**
- **prolog lists allow direct access of the first element only which is denoted as Head.**
- **We can write a prolog list as :
[Head | Rest], where Rest is the rest of the list excluding the first element Head.**

Lists in Prolog

- `[]` `% empty list`
- `[a]` `% singleton list`
- `[hello, world]` `% 2 element list`
- `[[1,2,3,4], p, this]` `% 3 element list`
- `[[[1, 2], [3, 4]], [[a, b], [x, y]]].` `% nested list (3 level nesting)`

List Membership

- **X is a member of L if**
 - ❖ **X is the head of L, or**
 - ❖ **X is in the tail of L.**

Operations on Prolog Lists

List Membership

➤ **X is a member of L if**

❖ **X is the head of L, or**

❖ **X is in the tail of L.**

➤ **Thus we write:**

`member(X,[X|_]).`

`member(X,[_|T]) :-`

`member(X,T).`

The length of a list

- **IF L is a list then its size can be recursively calculated as:**
 - ❖ The length of the empty list is 0.
 - ❖ The length of the list whose head is H and whose tail is the list T is: $1 + (\text{the length of T})$.

The length of a list

- **IF L is a list then its size can be recursively calculated as:**
 - ❖ The length of the empty list is 0.
 - ❖ The length of the list whose head is H and whose tail is the list T is: $1 + (\text{the length of T})$.
- **Thus we write:**
 - $\text{length}([],0)$.
 - $\text{length}([H|T],N) :-$
 - $\text{length}(T,N1), N \text{ is } N1+1$.

The sum of a list

- **We observe that**
 - ❖ **The sum of the empty list is 0.**
 - ❖ **The sum of the list whose head is H and whose tail is the list T is: $H + (\text{the sum of T})$.**

The sum of a list

- **We observe that**
 - ❖ **The sum of the empty list is 0.**
 - ❖ **The sum of the list whose head is H and whose tail is the list T is: $H + (\text{the sum of } T)$.**

- **Thus we write:**

$\text{sum}([],0)$.

$\text{sum}([H|T],\text{Sum}) :-$

$\text{sum}(T,\text{Sum1}), \text{Sum is Sum1} + H.$

The sum of a list

- **We observe that**
 - ❖ **The postivesum of the empty list is 0.**
 - ❖ **The postivesum of the list whose head is postive H and whose tail is the list T is: $H > 0$, $H +$ (the postivesum of T).**
 - ❖ **The sum of the list whose head is $-H$ and whose Tail is T is: the sum of the Tail.**

- **Thus we write:**

$\text{sum}([],0).$

$\text{sum}([H|T],\text{Sum}) :-$

$\text{sum}(T,\text{Sum1}), \text{Sum is Sum1} + H.$

The size of a list

➤ **We observe that**

❖ **The size of the empty list is 0.**

❖ **The size of the list whose head is H and whose tail is the list T is: 1 + (the size of T).**

➤ **Thus we write:**

`size([],0).`

`size([H|T],N) :- size(T,N1), N is N1+1. % or`

`size([_|T],N) :- size(T,N1), N is N1+1.`

The reverse of a list

➤ **we write:**

reverse(List, Reversed) :-

reverse(List, [], Reversed).

reverse([], Reversed, Reversed).

reverse([Head|Tail], SoFar, Reversed) :-

reverse(Tail, [Head|SoFar], Reversed).

Exercises

Let L be any list of terms. Define Prolog predicates for the following:

- `average(L,N)` is true if N is the average of all the numbers in L, or just 0 if the sum is 0
- `sumpos(L,N)` is true if N is the sum of all the *positive* numbers in L
- `sumsquare(L,N)` is true if N is the sum of the squares of all the numbers in L
- `maxlist(L,N)` is true if N is the largest element in the list L.
- `maxpos(L,N)` is true if N is the position of the largest element in the list L. (If there's more than one occurrence of the maximum, then this should be the *first* position at which it appears.)
- `last(L,E)` is true if E is the last element of L
- `evenpos(L)` which prints out the elements of L at positions 2,4,6... up to the end of the list (Use `write/1` to print out the elements.)