

# Encryption Algorithms & Protocols

## Classical Ciphers

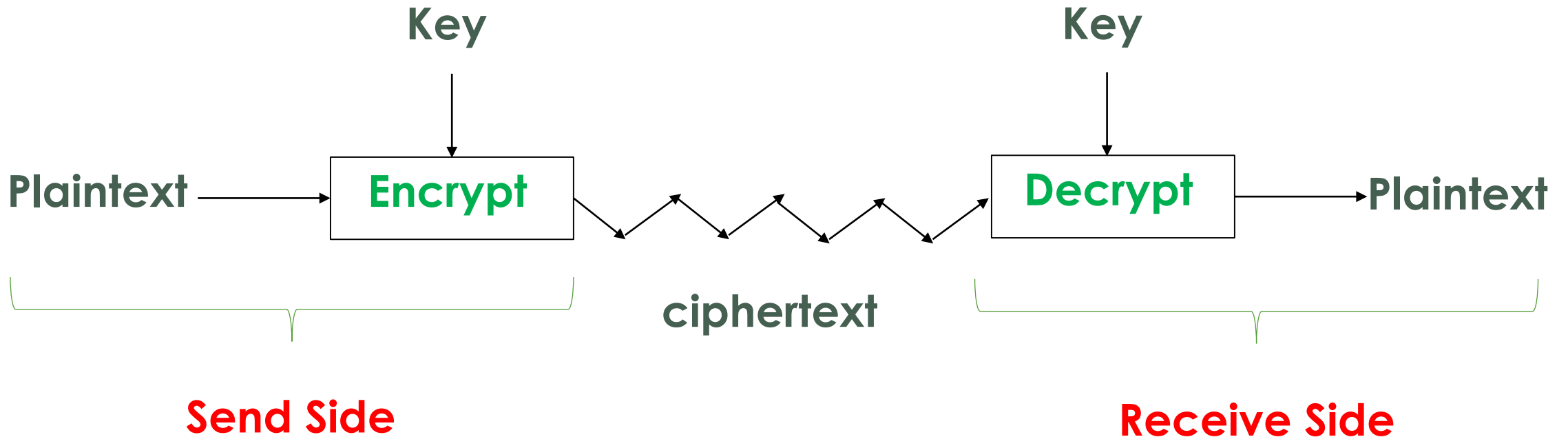
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# Classical Ciphers

- Basic Assumptions
  - Only the key is secret
  - The system is completely known to the attacker
  - That is, crypto algorithms are not secret
- This is known as Kerckhoffs' Principle
- Why do we make this assumption?
  - Experience has shown that secret algorithms are weak when exposed
  - Secret algorithms never remain secret
  - Better to find weaknesses beforehand

# Introduction



A generic view of symmetric key crypto

# Simple Substitution

- Caesar's cipher:
- Plaintext: fourscoreandsevenyearsago
- Key=3

Plaintext	a	b	c	d	e	f	g	h	i	j	k	l	m	n	o	p	q	r	s	t	u	v	w	x	y	z
Ciphertext	d	e	f	g	h	i	j	k	l	m	n	o	p	q	r	s	t	u	v	w	x	y	z	a	b	c

- Ciphertext: IRXUVFRUHDQQGVHYHQBHDUVDJR

# Caesar's Cipher Decryption

- Suppose we know a **Caesar's** cipher is being used. Given Ciphertext as following with Key=3  
“**Ciphertext, VSRQJHEREV TXDUHSDQWV**”. Reconstruct the plaintext

Plaintext	a	b	c	d	e	f	g	h	i	j	k	l	m	n	o	p	q	r	s	t	u	v	w	x	y	z
Ciphertext	d	e	f	g	h	i	j	k	l	m	n	o	p	q	r	s	t	u	v	w	x	y	z	a	b	c

- **Plaintext:** spongebobsquarepants



# Simple Substitution

- Shift by  $n$  for some  $n \in \{0,1,2,3,\dots,25\}$
- Then Key is  $n$
- Example Key  $n=7$

Plaintext	a	b	c	d	e	f	g	h	i	j	k	l	m	n	o	p	q	r	s	t	u	v	w	x	y	z
Ciphertext	h	i	j	k	l	m	n	o	p	q	r	s	t	u	v	w	x	y	z	a	b	c	d	e	f	g

# Not so Simple Substitution

- A simple substitution (shift by  $n$ ) is used.
  - But the key is unknown
- Given Ciphertext: CSYEVIXIVQMREXIH
- How to find the key?
- Only 26 possible keys try them all!
  - **Exhaustive key search, or brute force attack**
- Solution: key is  $n = 4$

# Not Simple Substitution

- In general, simple substitution key can be any permutation of letters
- Not necessarily a shift of the alphabet
- For example

Plaintext	a	b	c	d	e	f	g	h	i	j	k	l	m	n	o	p	q	r	s	t	u	v	w	x	y	z
Ciphertext	J	I	C	A	X	S	E	Y	V	D	K	W	B	Q	T	Z	R	H	F	M	P	N	U	L	G	O

- How to find the Key? ... Key might be one of ( $26! > 2^{88}$ ) possible keys!
- $26! = 403291461126605635584000000$

**Does a simple substitution cipher is secure?**



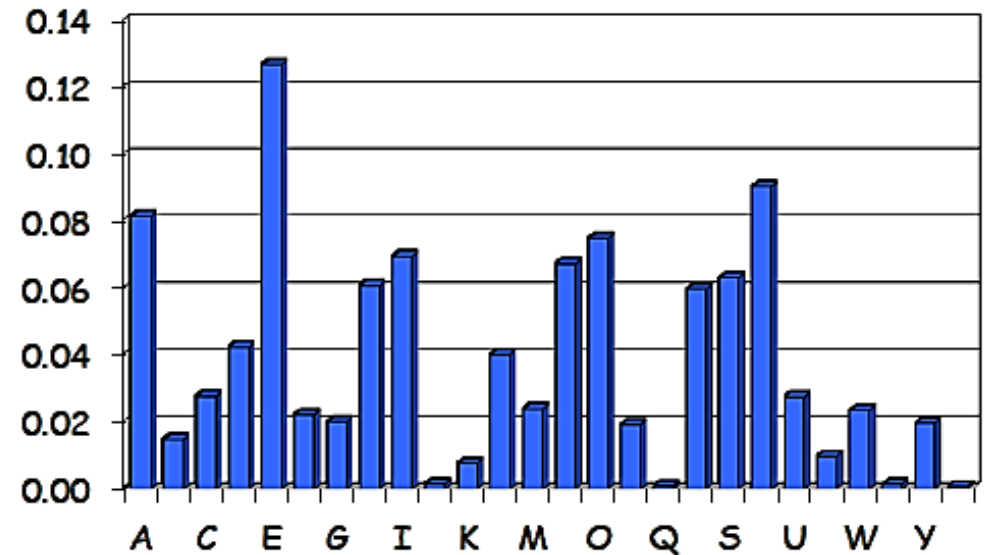
# Think Creatively

- Suppose Trudy intercepts the following Ciphertext, and she suspects was produced by a simple substitution cipher, where the key could be any permutation of the alphabet:

PBFPVYFBQXZTYFPBFEQJHDXXQVAPTPQJKTOYQWIPBVWLXTOXBTFX  
QWAXBVCXQWAXFQJWVLEQNTQZQGGQLFXQWAKVWLXQWAEBIPBF  
XFQVXGTVJVWLBTPQWAEBFPBFHCVLXBQUFEVWLXGDPEQVPQGVPP  
BFTIXPFHXZHVFAGFOTHFEFBQUFTDHzBQPOTHXTYFTODXQHFTDPT  
OGHFQPBQWAQJTTODXQHFOQPWTBDHHIXQVAPBFZQHCFWPFHPBFI  
PBQWKFABVYYDZBOTHBPQPQJTQOTOGHFQAPBFEQJHDXXQVAVXEB  
QPEFZBVFOJIWFFACCFHQWAUVWFLQHGFVAFXQHFUFHILTTAV  
WAFFAWTEVOITDHFHFQAITIXPFHXAFQHEFZQWGFLVWPTOFFA

# Think Creatively

- Trudy cannot try all  $2^{88}$  simple substitution keys
- Can we be more clever?
- English letter frequency counts...
- "E" is the most common letter in the English language.



More about English letter frequency counts

<https://www.youtube.com/watch?v=nikWSEjFCWg>

# Think Creatively

- Going back to Ciphertext and apply Ciphertext frequency counts will end up with:

PBFPVYFBQXZTYFPBFEQJHDXXQVAPTPQJKTOYQWIPBVWLXTOXBTFX  
QWAXBVCXQWAXFQJVWLEQNTQZQGGQLFXQWAKVWLXQWAEBIPBF  
XFQVXGTVJVWLBTPQWAEBFPBFHCVLXBQUFEVWLXGDPEQVPQGVPP  
BFTIXPFHXZHVFAGFOTHFEBQUFTDHzBQPOTHXTYFTODXQHFTDPT  
OGHFQPBQWAQJJTODXQHFOQPWTBDHHIXQVAPBFZQHCFWPFHPBFI  
PBQWKFABVYYDZBOTHBPQPQJTQOTOGHFQAPBFEQJHDXXQVAVXEB  
QPEFZBVFOJIWFFACFCFHQWAUVWFLQHGFVAFXQHUFHILTTAV  
WAFFAWTEVOITDHFHFQAITIXPFHXAFQHEFZQWGFLVWPTOFFA

a	b	c	d	e	f	g	h	i	j	k	l	m	n	o	p	q	r	s	t	u	v	w	x	y	z
21	26	6	10	12	51	10	25	10	9	3	10	0	1	15	28	42	0	0	27	4	24	22	28	6	8

# Transposition Cipher

- Now consider classical transposition or permutation ciphers.
- These hide the message by rearranging the letter order without altering the actual letters used
- Can recognise these since have the same frequency distribution as the original text

# Rail Fence Cipher

- Write message letters out diagonally over a number of rows
- Then read off cipher row by row
- Example: Plaintext **“MEET ME AFTER THE TOGA PARTY”** .... Ciphertext?

M		E		M		A		T		R		H		T		G		P		R		Y
	E		T		E		F		E		T		E		O		A		A		T	

**Ciphertext: MEMATRHTGPRYETEFETEOAAT**

# 3 Rail Fence Cipher

- Write message letters out diagonally over 3 rows
- Then read off cipher row by row
- Example: Plaintext **“WRITHE THE MESSAGE ALTERNATING LETTERS IN THREE ROWS”**



.... Ciphertext?

W			E			M			A			L			N			G			T			I			R			O											
	R		T		T		E		E		S		G		A		T		R		A		I		L		T		E		S		N		H		E		R		W
		I			H			S			E			E			T			E			R			T			E									S			

**Ciphertext: WEMALNGTIRORTTEESGATRAILTESNHERWIHSEETERES**

# Double Transposition (Row & Column)

- Key is matrix size and permutations: (3,5,1,4,2) and (1,3,4,2) **(5X4) Matrix**
- Plaintext: **"ENCRYPTION ALGORITHMS"** Ciphertext?

	Col 1	Col 2	Col 3	Col 4
Row 1	E	N	C	R
Row 2	Y	P	T	I
Row 3	O	N	A	L
Row 4	G	O	R	I
Row 5	T	H	M	S

(3,5,1,4,2)



	Col 1	Col 2	Col 3	Col 4
Row 1	O	N	A	L
Row 2	T	H	M	S
Row 3	E	N	C	R
Row 4	G	O	R	I
Row 5	Y	P	T	I

(1,3,4,2)



	Col 1	Col 2	Col 3	Col 4
Row 1	O	A	L	N
Row 2	T	M	S	H
Row 3	E	C	R	N
Row 4	G	R	I	O
Row 5	Y	T	I	P

# One-Time Pad

- **The one-time pad** also known as the **Vernam** cipher.
- For simplicity, let's consider an alphabet with only eight letters. Our alphabet and the corresponding binary representation of letters appear in Table below.

Letter	e	h	i	k	l	r	s	t
Binary	000	001	010	011	100	101	110	111

**Abbreviated Alphabet**

Suppose that Alice, who recently got a job as a spy, wants to use a one-time pad to encrypt the plaintext message **“h e i l h i t l e r”**



# One-Time Pad

Letter	e	h	i	k	l	r	s	t
Binary	000	001	010	011	100	101	110	111

- Key is known as 111 101 110 101 111 100 000 101 110 000
- First, Aline converts the plaintext letters to the bit string as following:
- 001 000 010 100 001 010 111 100 000 101 ("heilhitler.")
- The one-time pad key consists of a randomly selected string of bits that is the same length as the message. The key is then XORed with the plaintext to yield the ciphertext.

**Encryption: Plaintext  $\oplus$  Key = Ciphertext**

**Plaintext** 001 000 010 100 001 010 111 100 000 101

**Key** 111 101 110 101 111 100 000 101 110 000

**Ciphertext** 110 101 100 001 110 110 111 001 110 101

s r l h s s t h s r

# One-Time Pad

- If Aline, wants to decrypt the message then she use the same key with encrypted message.

Key is known as 111 101 110 101 111 100 000 101 110 000

- **Ciphertext** 110 101 100 001 110 110 111 001 110 101

s r l h s s t h s r

**Decryption: Ciphertext  $\oplus$  Key = Plaintext**

s r l h s s t h s r  
**Ciphertext** 110 101 100 001 110 110 111 001 110 101

**Key** 111 101 110 101 111 100 000 101 110 000

**Plaintext** 001 000 010 100 001 010 111 100 000 101  
h e i l h i t l e r

# One-Time Pad

- Ciphertext provides no info about plaintext.
- All plaintexts are equally likely but, only when be used correctly.
- Pad (key) must be random, used only once.
- Pad (key) is known only to sender and receiver.
- Note: pad (key) is same size as message.

... **Thank you** ...

